Amendments to the Specification:

Page 7, before the paragraph beginning on line 17, insert the following new paragraph:

The four lines forming the sides may obey the following formulas relating to the unit area of dimensions $x \varepsilon [-E;E]$ and $y \varepsilon [-E;E]$ where $E \varepsilon = [0;+\infty]$, where the zero point (0;0) is the centre of the unit area.

for all the radiuses r_i:

$i \varepsilon [1;2;3;4;5;6;7;8]$

rl=r2 =r3 =r4 =r5=r6=r7=r8

$r_i \varepsilon [E/2;+\infty]$

for point $(x_1; y_1)$:

$x_1 = E - \sqrt{(r_i 2 - (E/2)^2)}$

$y_1 = E/2$

for point $(x_2; y_2)$:

$x_2=E/2$

$y_2 = E = \sqrt{(r_i 2 - (E/2)^2)}$

for point $(x_3;y_3)$:

$x_3 = -E/2$

$y_3 = E - \sqrt{(r_i 2 - (E/2)^2)}$

for point $(x_4; y_4)$:

$x_4 = E - \sqrt{(r_i 2 - (E/2)^2)}$

y4 = E/2

for point $(x_5;y_5)$

$x_5 = -E + \sqrt{(r_i 2 - (E/2)^2)}$

$y_5 = -E/2$

for point $(x_6;y_6)$:

$x_6 = -E/2$

$y_6 = -E - \sqrt{/(r_i2 - (E/2)^2)}$

for point $(x_7;y_7)$

$x_7 = -E/2$

$y_7 = -E + \sqrt{(r_i2 - (E/2)^2)}$

for point $(x_8;y_8)$:

$x_8 = E + \sqrt{(r_i2 - (E/2)^2)}$

$y_8 = -E/2$

points $(x_i;y_i)$ are the centres of the respective radiuses

for all points $(x_i;y_i)$:

$x_i \ \varepsilon[-\infty;+\infty]$

$y_i \ \varepsilon [-\infty;+\infty]$

the formulas being correct for a printing element as shown below: